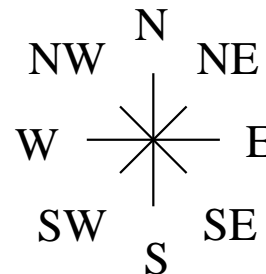
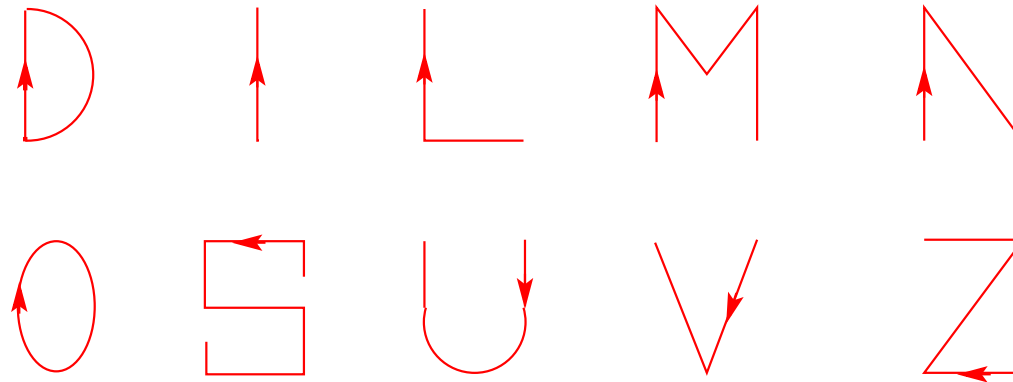


Magnetic Force Application (6)



An electric current flows through each of the letter-shaped wires in a region of uniform magnetic field pointing into the plane.

- Find the direction of the resultant magnetic force on each letter.

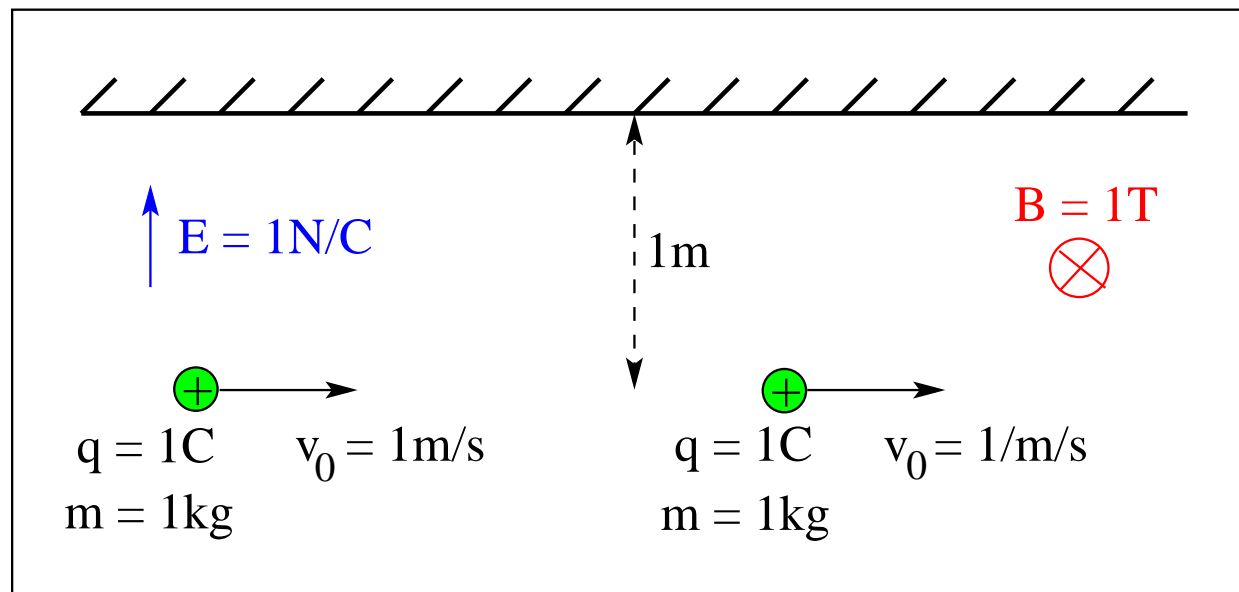


Magnetic Force Application (9)



Two charged particles are released in different uniform fields. Ignore gravity.

- Find the the horizontal velocity components v_{Ex}, v_{Bx} and the vertical velocity components v_{Ey}, v_{By} at the instant each particle hits the wall.
- Find the times t_E, t_B it takes each particle to reach the wall.

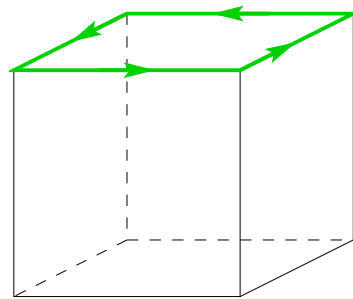


Magnetic Force Application (11)

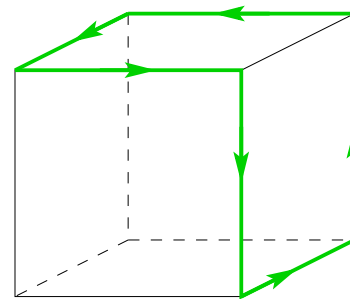


If the magnetic moment of the current loop (1) is $\mu_1 = 1\text{Am}^2$, what are the magnetic moments μ_2, μ_3, μ_4 of the current loops (2), (3), (4), respectively?

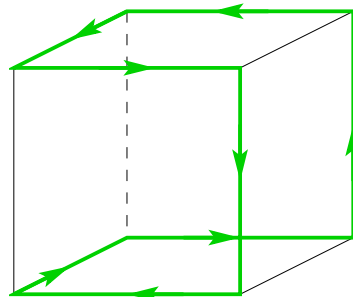
(1)



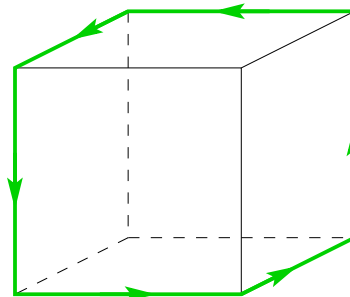
(2)



(3)



(4)

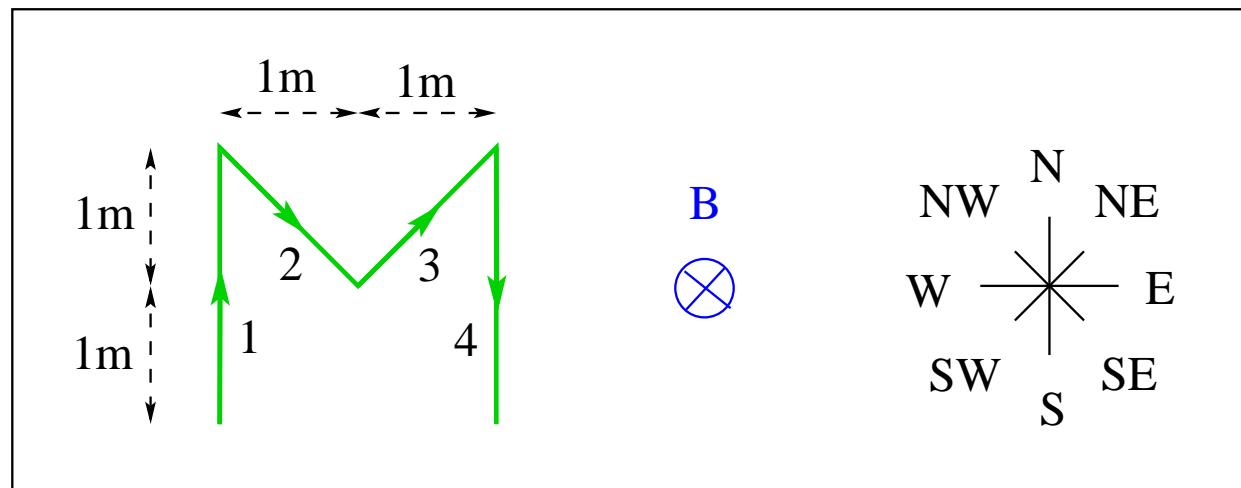


Magnetic Force Application (12)



An electric current $I = 1\text{A}$ flows through the M-shaped wire in the direction indicated. The wire is placed in a magnetic field $B = 1\text{T}$ pointing into the plane.

- (a) Find the magnitude of the magnetic forces F_1, F_2, F_3, F_4 acting on each part of the wire.
- (b) Find the direction of the resultant force $\vec{F} = \vec{F}_1 + \vec{F}_2 + \vec{F}_3 + \vec{F}_4$ acting on the wire.



Magnetic Force Application (10)

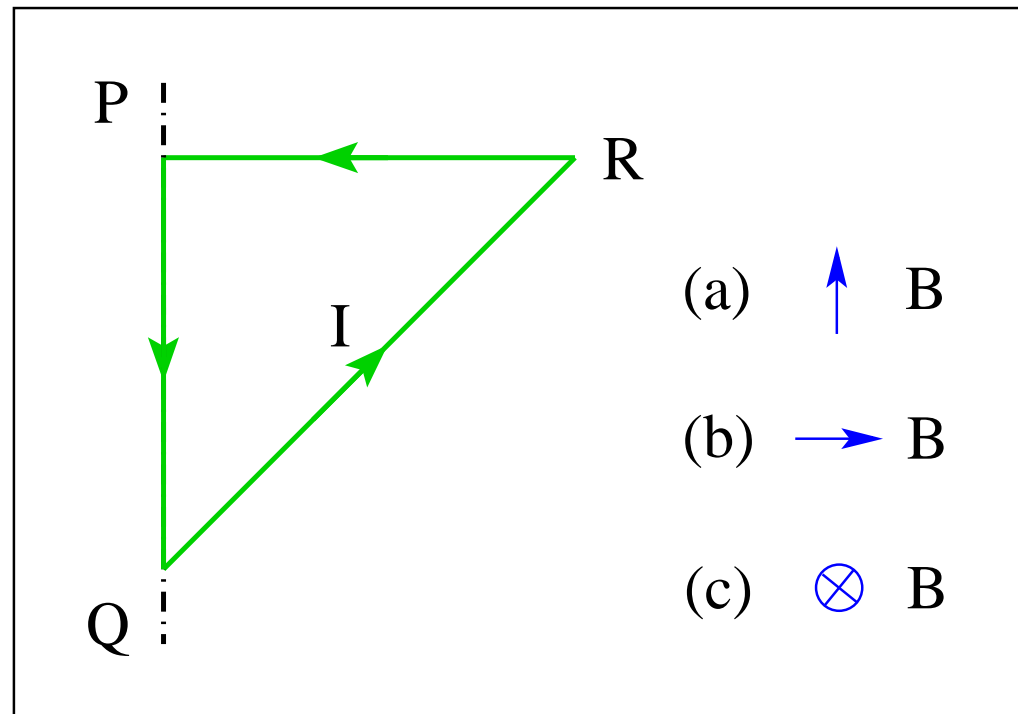


A triangular current loop is free to rotate around the vertical axis PQ .

If a uniform magnetic field \vec{B} is switched on, will the corner R of the triangle start to move out of the plane, into the plane, or will it not move at all?

Find the answer for a field \vec{B} pointing

- (a) up,
- (b) to the right,
- (c) into the plane.

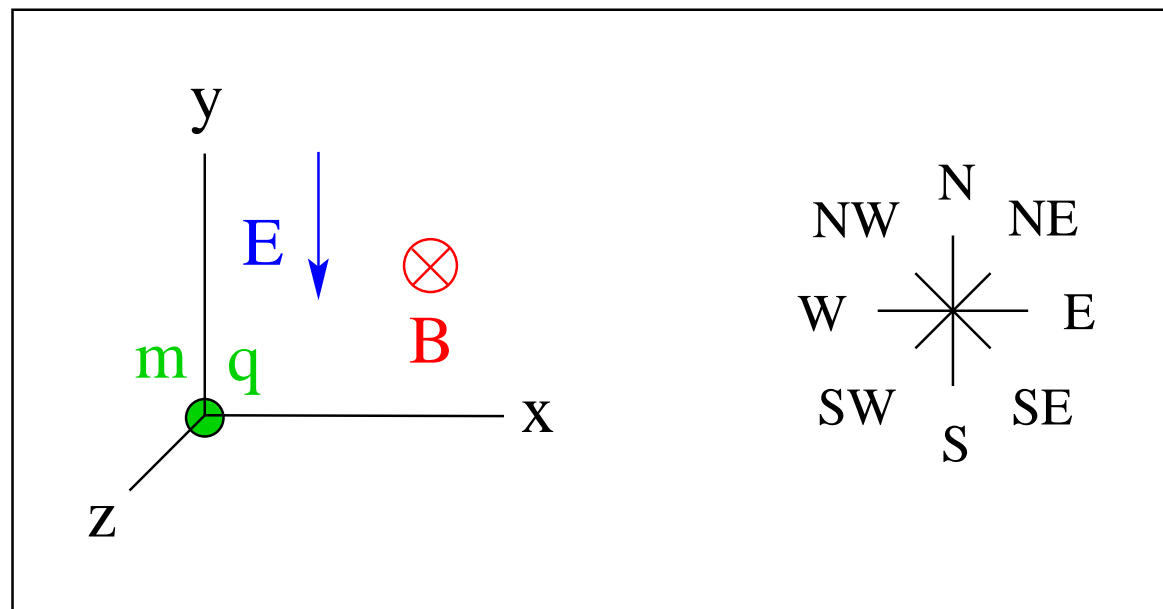


Magnetic Force Application (8)



A negatively charged particle ($q < 0$) is released from rest in a uniform electric field \vec{E} pointing down and a uniform magnetic field \vec{B} pointing into the plane.

- In which direction relative to the origin of the coordinate system will the particle be located after a very long time?



Magnetic Force Application (13)



Consider a current loop with magnetic moment $\vec{\mu}$ in a uniform magnetic field \vec{B} .

- At what angle θ is the potential energy $U = -\vec{\mu} \cdot \vec{B}$ a maximum?
- At what angle θ does the loop experience the strongest torque $\vec{\tau} = \vec{\mu} \times \vec{B}$?
- If the loop is free to rotate and released from rest in the orientation shown, sketch the angle θ as a function of time.

